Measurement of AMRINS Parallel Performance

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January 20, 2005

The target platform for this benchmark measurement is a machine named Halem located at GSFC. Halem is the NCCS Compaq AlphaServer SC45 System which consists of 104 symmetric multiprocessor nodes (4 processors per node). Memory is shared within a node.

The Fortran compiler used for this was the native Fortran compiler f77 with the -fast optimization flag. The C++ compiler used was the GNU g++ compiler (version 3.3.1) with flags -02 -ftemplate-depth-27.

A sample input used for the runs (for the $64 \times 64 \times 96$ case) is presented in Figure 1. Table 1 shows the three sizes of benchmark problems used including the respective vorticity tagging factor, while Table 2 shows the total number of points updated for each run. In all of the benchmark runs, four timesteps are completed.

| Problem size | Vorticity Tagging |
|--------------|-------------------|
| | Factor |
| 32x32x48 | 0.0050 |
| 64×64×96 | 0.0025 |
| 96×96×144 | 0.00167 |
| 128×128×192 | 0.00125 |

Table 1: Baseline Problem Data

| Level | 32x32x48 | 64x64x96 | 128x128x192 |
|--------|----------|-----------|-------------|
| 0 | 196608 | 1572864 | 12582912 |
| 1 | 1310720 | 5783552 | 23101440 |
| 2 | 38191104 | 212041728 | 1325907968 |
| totals | 39698432 | 219398144 | 1361592320 |

Table 2: Number of Points Updated Per AMR Level for each Problem Size

Changes were made to the code since the last performance improvement report. The most relevant is a change in the way solver tolerances are implemented in the elliptic solvers which results in better solver performance, while solving to the same accuracy. Other changes include a new advection method which replaces a less accurate previous one. This new advection method added significant source code as well increasing the computational work required to solve the example problem. We also found a bug in the TRANSVERSE_CROSS fortran function. Several performance improvements were made. Several of these performance improvements not only improved the scaling behaviour of the code, but also decreased the overall wall-clock time of all runs.

The parallel performance of the AMRINS code is summarized in Table 3. As we double the linear size of the problem, the computational size of the problem increases by a factor of 8 in 3-dimensions. So, we can compute scaled efficiency by comparing the run time

```
main.max_step = 4
main.max_time = 200.0
main.num_cells = 64 64 96
main.max_level
                    = 2
main.ref_ratio = 4 4 4
main.regrid_interval = 4 4
main.block_factor = 8
main.max_grid_size = 48
main.max_base_grid_size = 32
main.fill_ratio = 0.8
main.grid_buffer_size = 1
main.is_periodic = 0 0 1
main.cfl
                    = 0.5
main.checkpoint_interval = -1
main.plot_interval
                      = -1
main.plotPrefix
                        = pltNew.
main.verbosity
                        = 2
                                   # higher number means more verbose
ns.vorticity_tagging_factor = 0.0025
ns.init_shrink = 1.0
ns.tag_vorticity = 1
ns.project_initial_vel = 1
ns.init_pressures = 1
ns.num_init_passes
                     = 1
ns.tags_grow
                      = 1
ns.specifyInitialGrids = 0
ns.initVelFromVorticity = 1
ns.backgroundVelocity = 0.0
ns.viscosity = 0.000001
ns.num_scalars = 1
ns.scal_diffusion_coeffs = 0.00 0.0
ns.viscous_num_smooth_up = 1 #multigrid solver parameter
ns.viscous_num_smooth_down = 1 #multigrid solver parameter
projection.doSyncProjection = 1
projection.applyFreestreamCorrection = 0
projection.eta = 0.9
projection.numSmoothUp = 3 # multigrid solver parameter
projection.numSmoothDown = 3 # multigrid solver parameter
# 0 = solidWall, 1=inflow, 2=outflow, 3=symmetry, 4=noShear
physBC.lo = 4 4 4  # physical BC iafo (overridden if periodic)
physBC.hi = 4 4 4  # physical BC info (overridden if periodic)
physBC.maxInflowVel = 1.0
```

Figure 1: Input file for $64 \times 64 \times 96$ case

between two runs which differ by a factor of 2 in base grid size, and a factor of 8 in number of processors. These are shown in Table 4. As can be seen, the scaled efficiencies range from 0.75 (75%) to 1.13. Cases where the efficiencies are greater than 1 indicate additional efficiencies which come about through AMR, along with the variablilty of the different grid hierarchies generated in each case.

| Prob size | Num | Avg Memory | Min-Max mem | AMR Run |
|-------------|-------|------------|-------------|---------|
| | Procs | MB | MB | secs |
| 32x32x48 | 1 | 433 | 433-433 | 2837 |
| 32x32x48 | 2 | 240 | 239-242 | 1459 |
| 32x32x48 | 4 | 143 | 136-148 | 823 |
| 32x32x48 | 8 | 91 | 80-105 | 449 |
| 32x32x48 | 16 | 61 | 48-78 | 286 |
| 32x32x48 | 32 | 43 | 13-68 | 221 |
| 64×64×96 | 8 | 354 | 327-384 | 2605 |
| 64×64×96 | 16 | 209 | 180-230 | 1413 |
| 64×64×96 | 32 | 126 | 106-166 | 853 |
| 64×64×96 | 64 | 85 | 37-151 | 597 |
| 128×128×192 | 64 | 312 | 256-365 | 2632 |
| 128×128×192 | 128 | 197 | 158-268 | 1698 |

Table 3: Current parallel performance of AMRINS code for baseline vortex-ring problem

| Base Problem | Num | Large Problem | Large num | Scaled |
|--------------|-------|---------------|------------|------------|
| Size | Procs | Size | processors | Efficiency |
| 32x32x48 | 1 | 64×64×96 | 8 | 1.13 |
| | 2 | | 16 | 1.03 |
| | 4 | | 32 | 0.96 |
| | 8 | | 64 | 0.75 |
| 32x32x48 | 1 | 128×128×192 | 64 | 1.07 |
| | 2 | | 128 | 0.86 |
| 64×64×96 | 8 | 128×128×192 | 64 | 0.99 |
| | 16 | | 128 | 0.83 |

Table 4: Scaled Efficiencies computed from Table 3